

# PHYSICAL SAMPLE CONSIDERATIONS

CHEM 251 SDSU

# SAMPLE SIZE

- The amount of sample necessary for an analysis is an important consideration for any sample plan.
- If too little sample is taken it can be difficult to identify the presence of any analyte.
- If too much is taken it can be problematic for the analysis.

# CALCULATING SAMPLE SIZE

- For a given number of particles ( $n$ ) our analyte ( $n_A$ ) will occur on a fraction of the time ( $p$ ).

$$n_A = np$$

$$s_{\text{samp}} = \sqrt{np(1-p)}$$

- With some prior knowledge, or predictions, we can determine the sample size that will be appropriate to get a desired level of relative sampling variance  $(s_{\text{samp}}^{\text{rel}})^2$ .

$$s_{\text{samp}}^{\text{rel}} = \frac{\sqrt{np(1-p)}}{np}$$

$$n = \frac{1-p}{p} \times \frac{1}{(s_{\text{samp}}^{\text{rel}})^2}$$

# SAMPLE SAMPLE SIZE PROBLEM

If the content of mercury in a soil sample is estimated to be close to  $1 \times 10^{-7}\%$  of the population, how many particles must be sampled in order to obtain a 1% relative sampling standard deviation?

# SAMPLE MASS

- The choice of the number of samples to collect is also crucial in obtaining low sample variance.
- If we treat homogeneous solutions as only having two types of particles (analyte and the non-analyte) we approximate a binomial sampling statistics.
- So in a random grab sampling the mass of the sample ( $m$ ) and the percent relative standard deviation ( $R$ ) yield a sampling constant ( $K_s$ ).
- As  $K_s$  is a constant for each population we can use it to determine the sample mass ( $m$ ) required to obtain a desired percent relative standard deviation ( $R$ ) value.

$$mR^2 = K_s$$

$$m = \frac{K_s}{R^2}$$

$$R = \sqrt{\frac{K_s}{m}}$$

# EXAMPLE SAMPLE MASS DETERMINATION

	Sample mass (g)	w/w% Chloride
1	0.5236	33.1
2	0.5264	36.2
3	0.5250	35.7
4	0.5247	34.9
Avg.	0.524925	34.975
STDEV	0.0012	1.3598

What sample size (mass) is necessary to obtain a percent relative standard deviation for the sampling of  $\pm 1.5\%$ ?

# NUMBER OF SAMPLES

- Once we know how large a sample to collect we need to consider how many samples ( $n_{\text{samp}}$ ) to collect.
- We can use a desired relative percent sampling error ( $e$ ) and a desired confidence level to calculate the number of samples.
- The process is an iterative calculation.
- Note  $e$  and  $s_{\text{samp}}$  must be expressed in the same manner (e.g. percent relative standard deviation)

$$\mu = \bar{X} \pm \frac{t s_{\text{samp}}}{\sqrt{n_{\text{samp}}}}$$

$$e = \bar{X} - \mu$$

$$n_{\text{samp}} = \frac{t^2 s_{\text{samp}}^2}{e^2}$$

# SAMPLE NUMBER PROBLEM

From the prior problem we determined that a sample mass of 3.522g to have a percent relative standard deviation of  $\pm 1.5\%$ .

How many samples need to be collected to to have a percent relative sampling error (e) of  $\pm 1.0\%$  at the 95% confidence level?